

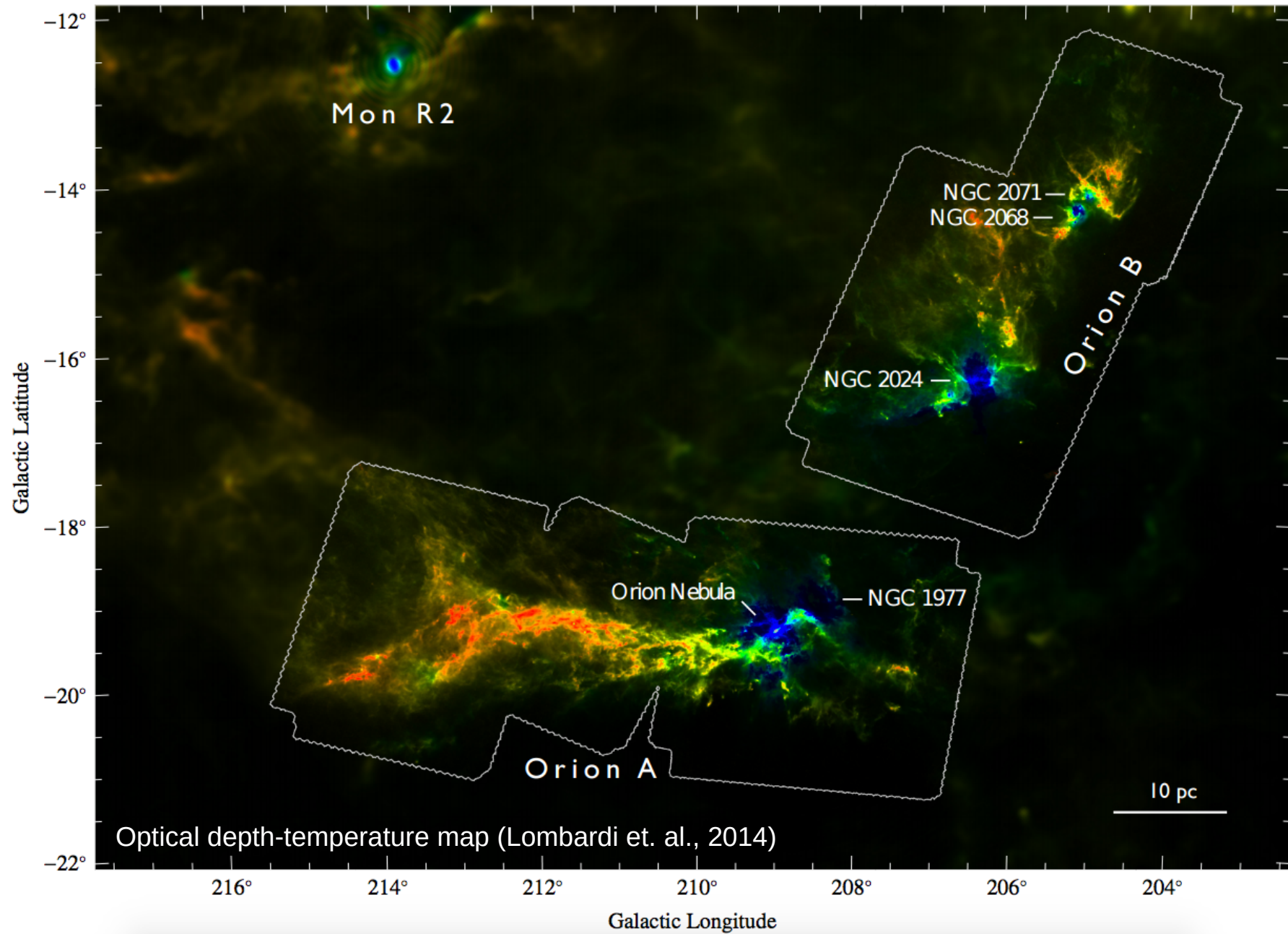
Density scaling relation in Orion A: effects of region selection

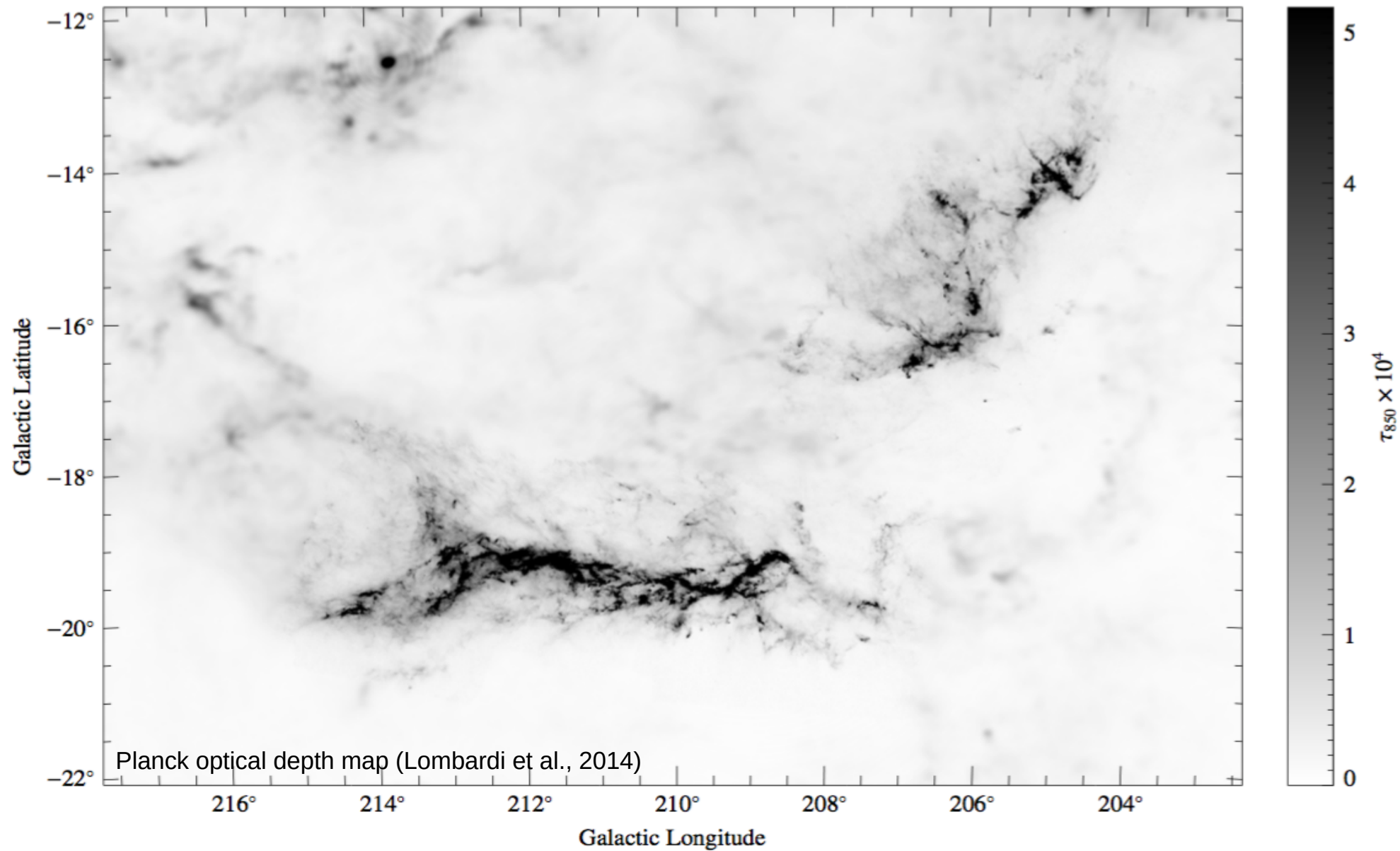
O. Stanchev, T. Veltchev, S. Donkov

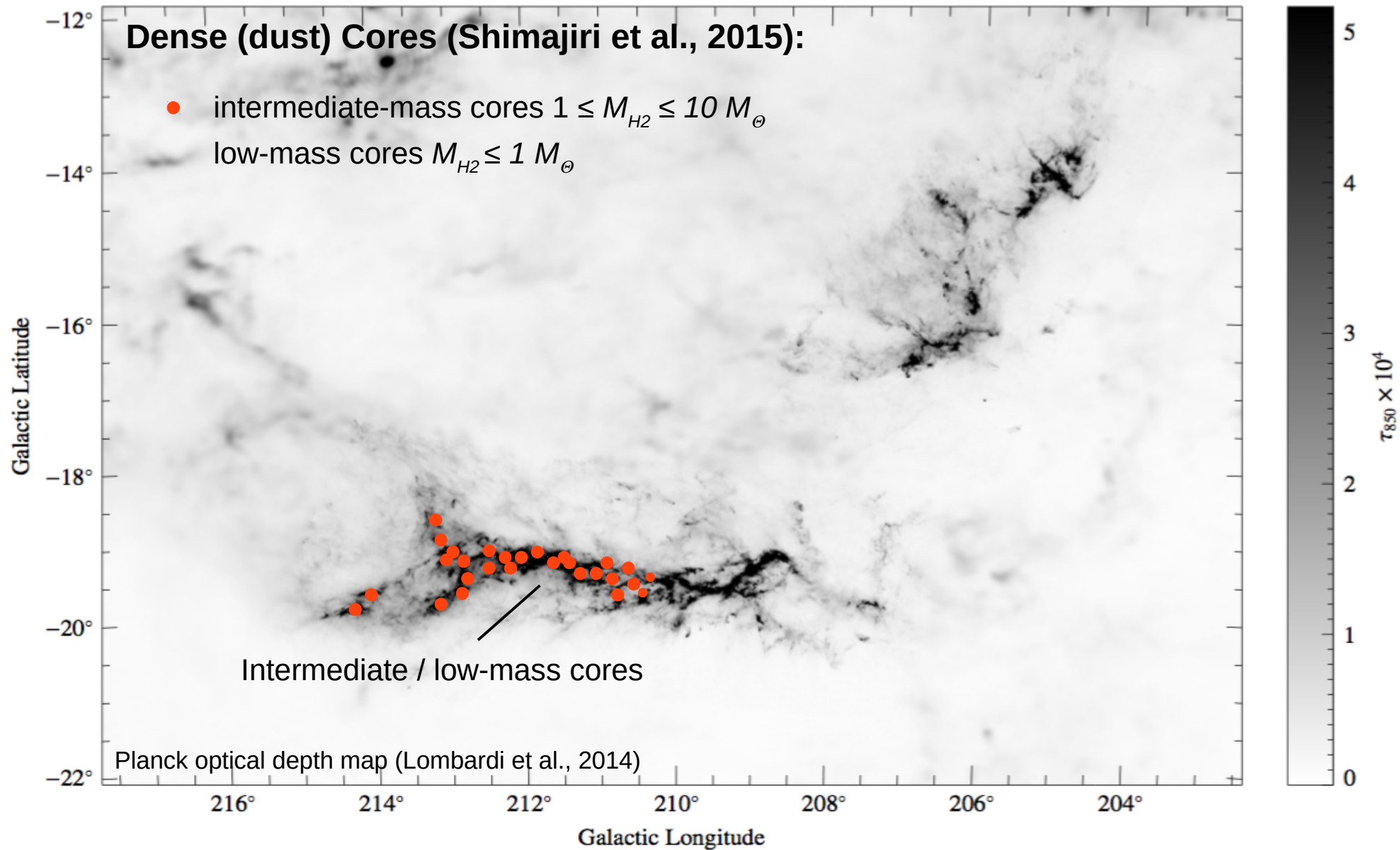
X SERBIAN - BULGARIAN ASTRONOMICAL CONFERENCE, 2016

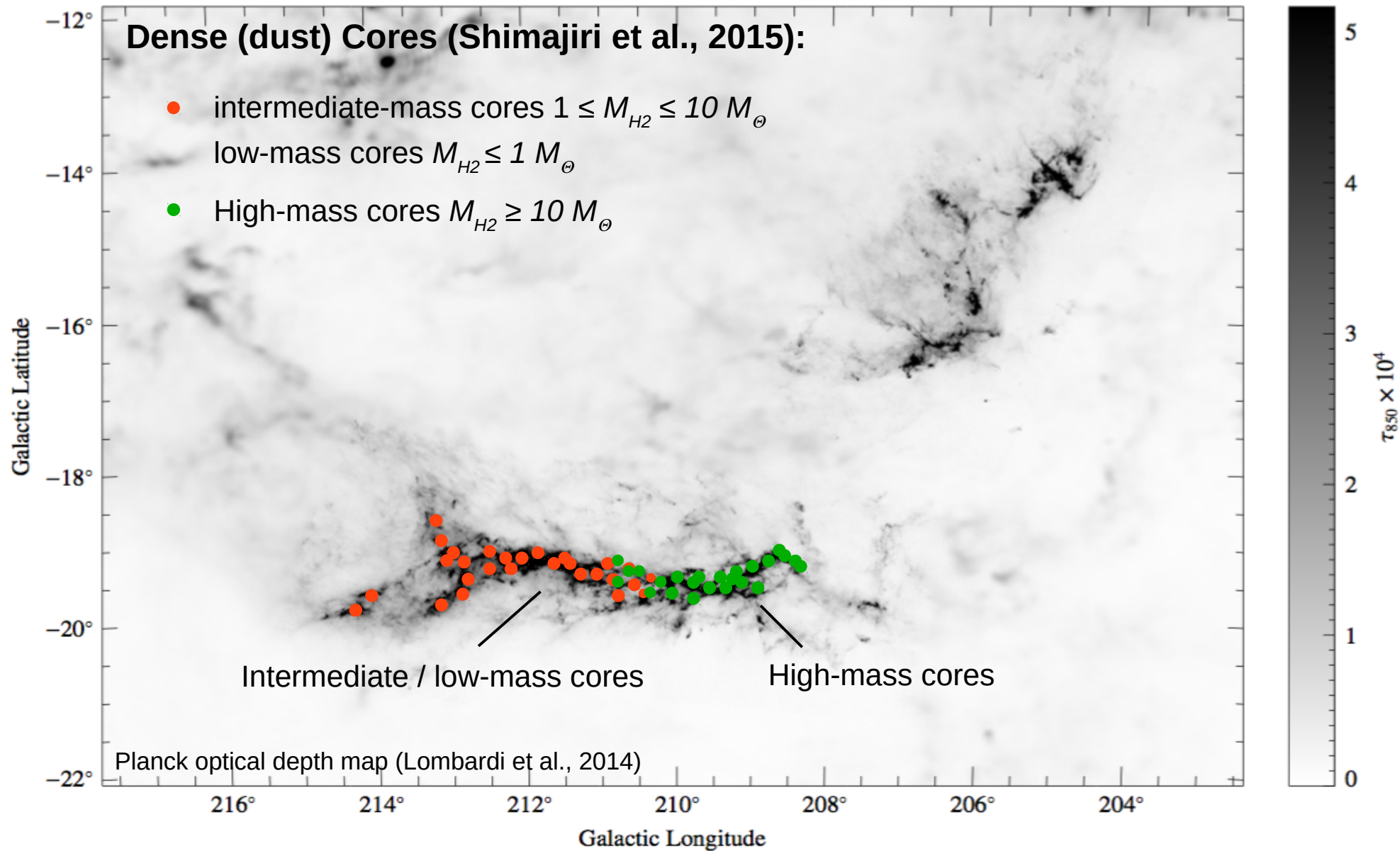
Goals

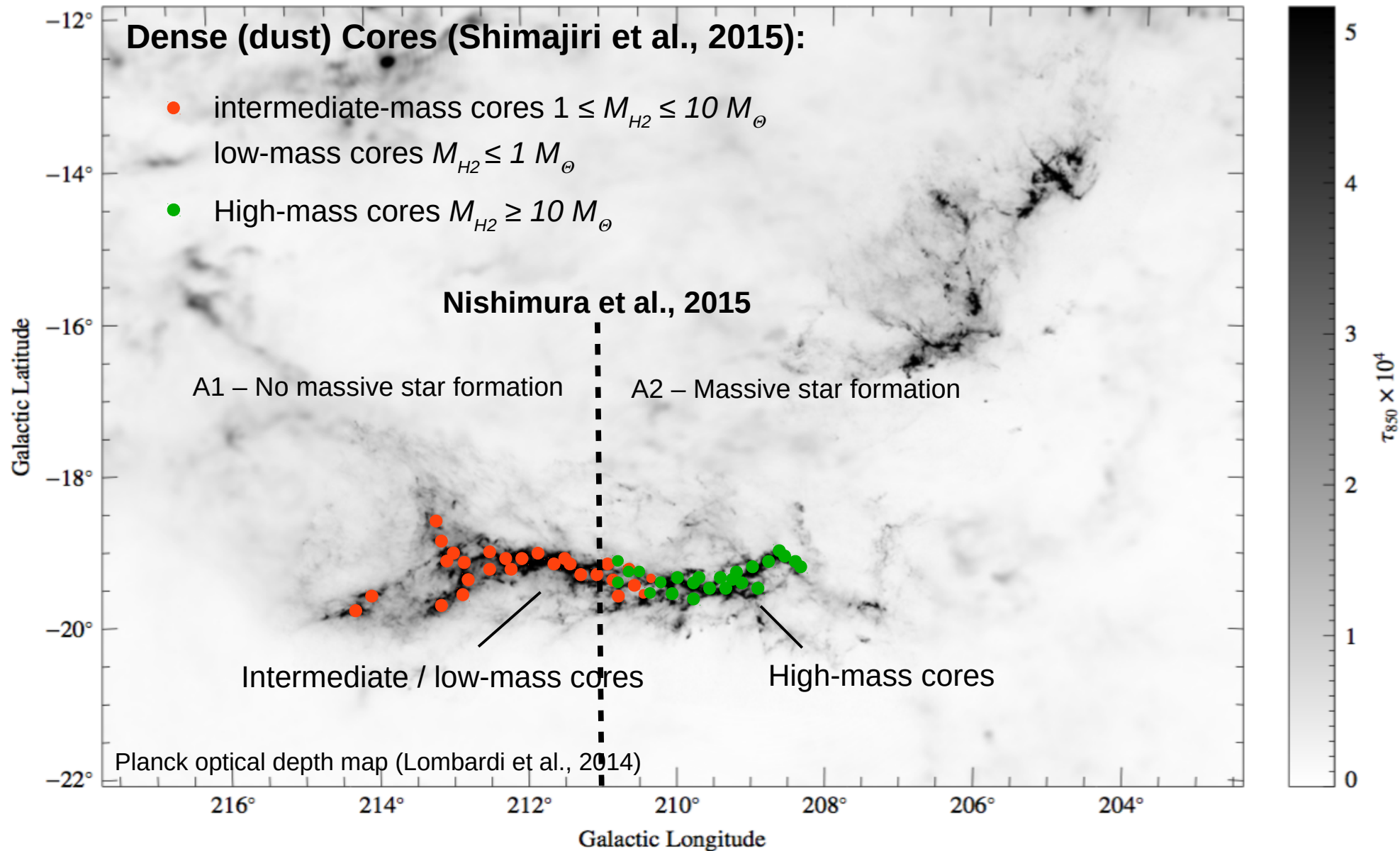
- 1. Derive the density scaling relation in Orion A**
- 2. Study the effects of region selection**
- 3. Test for effects of distance gradient**

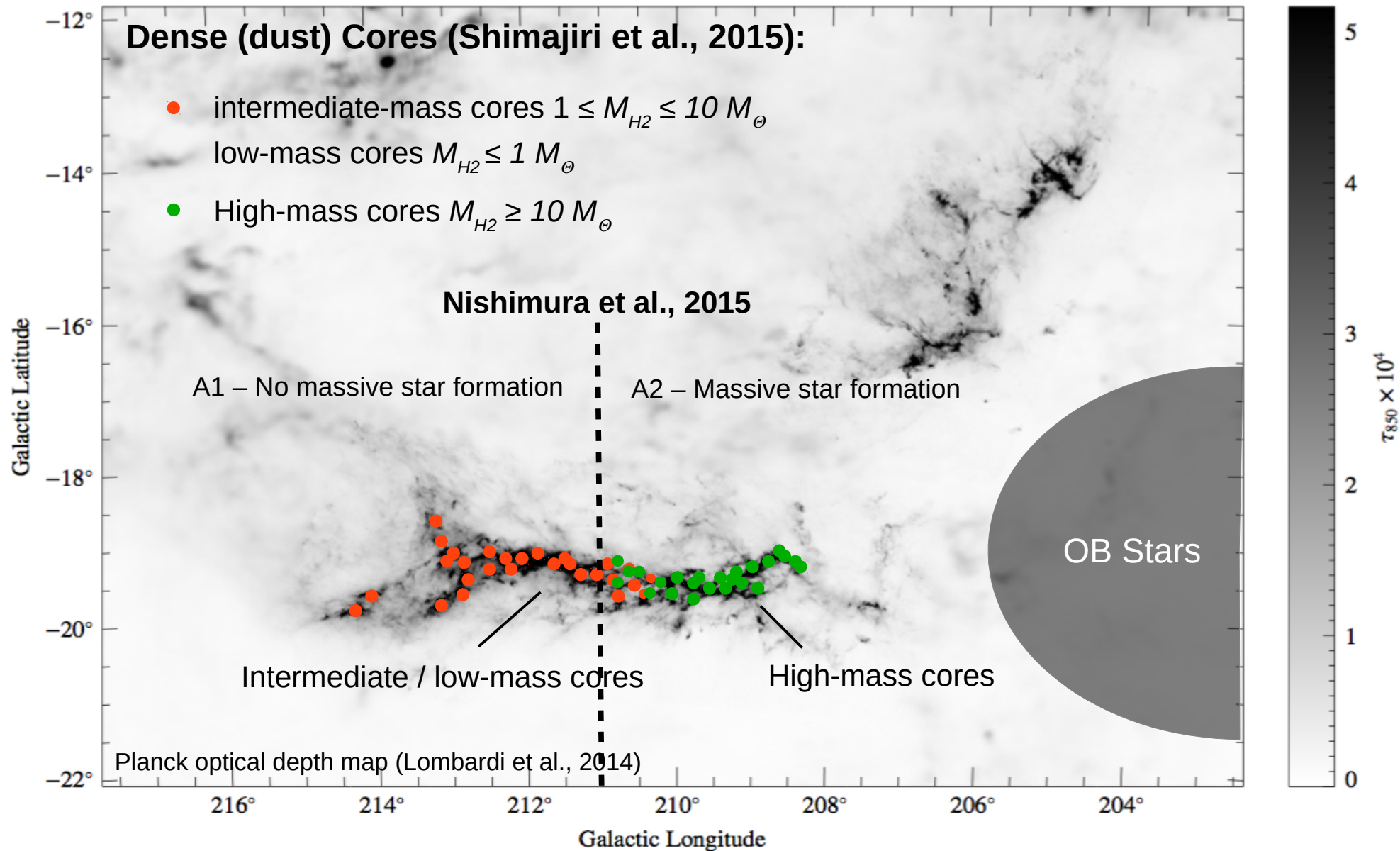


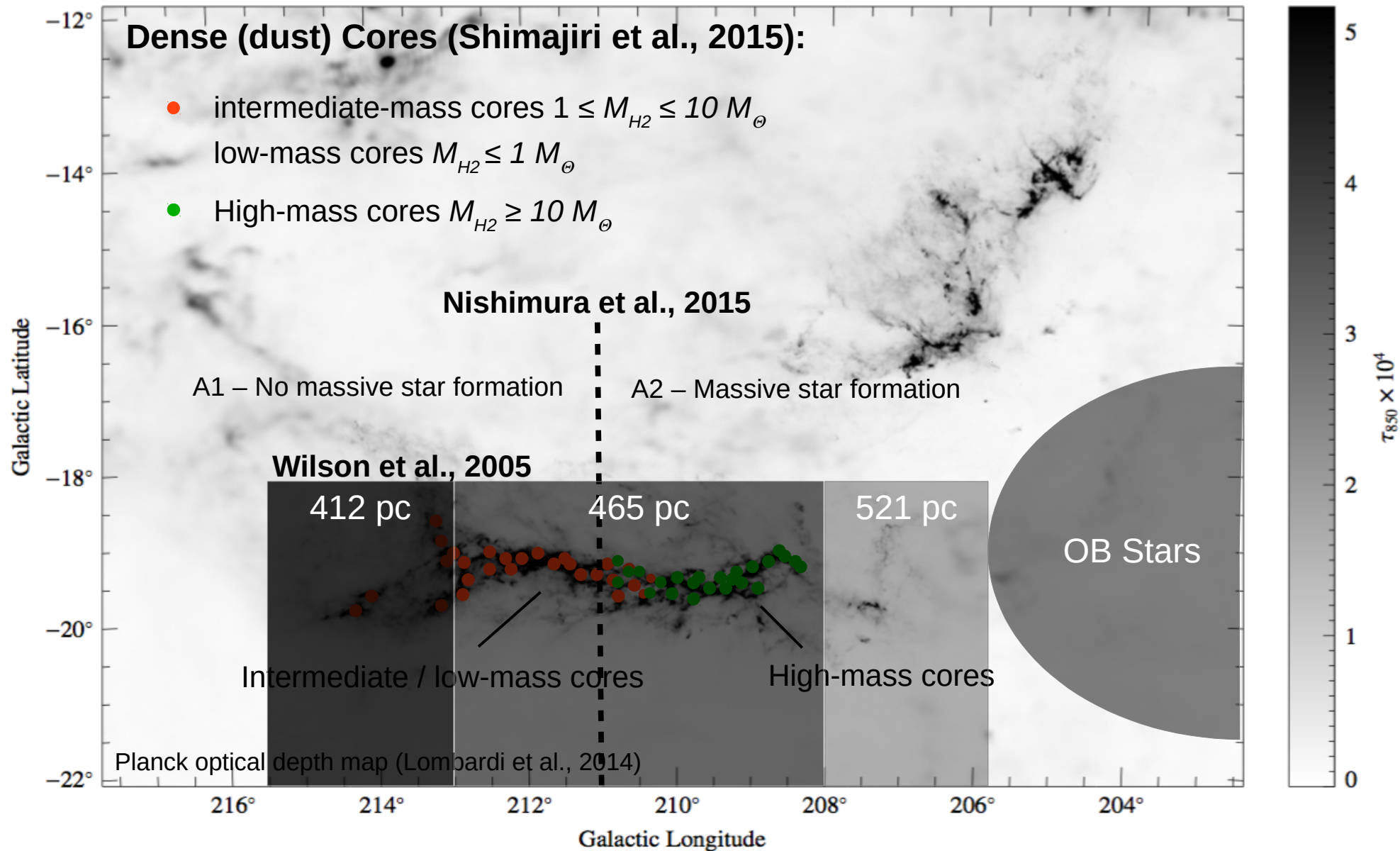




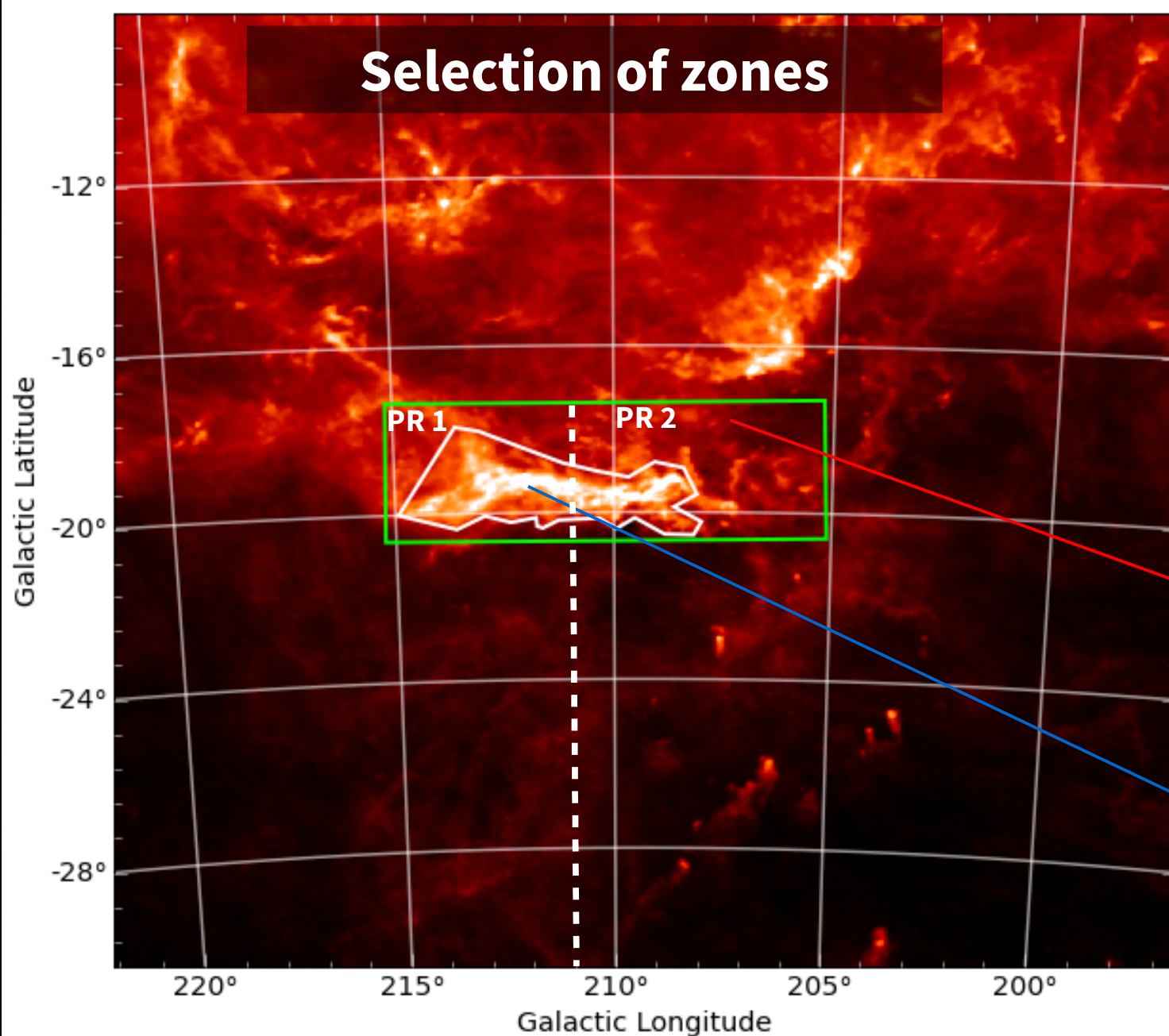








Selection of zones

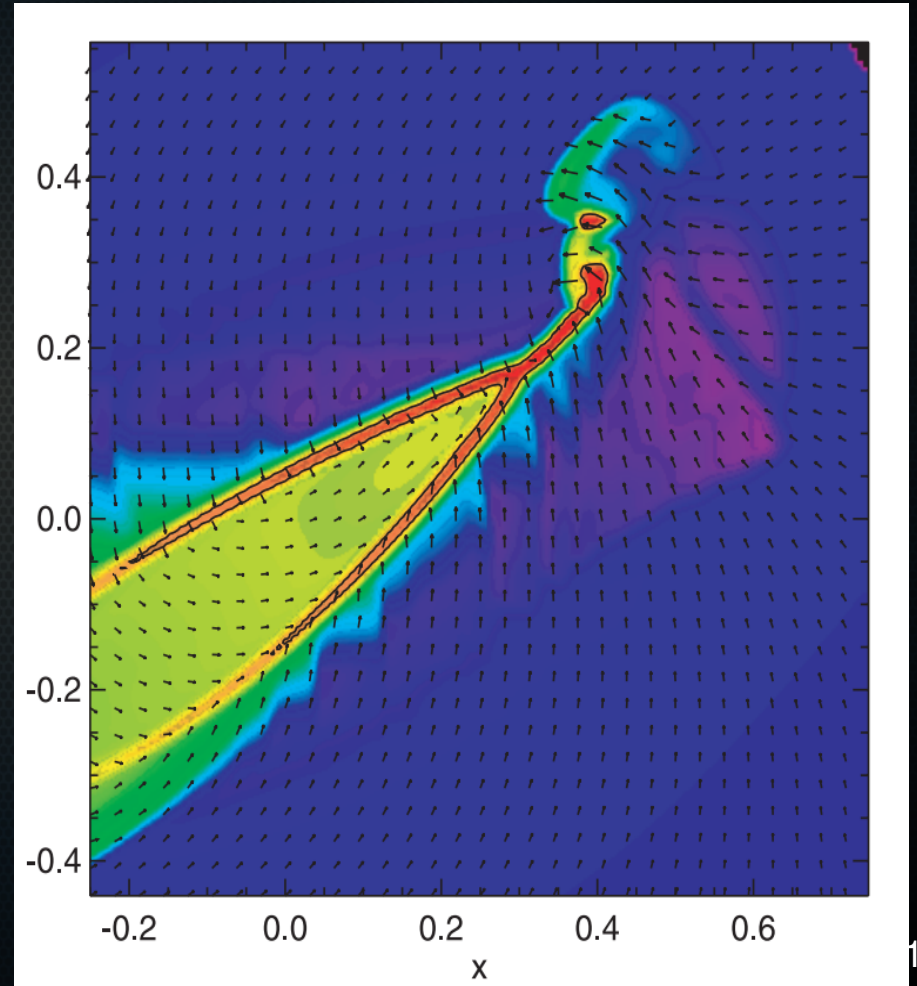
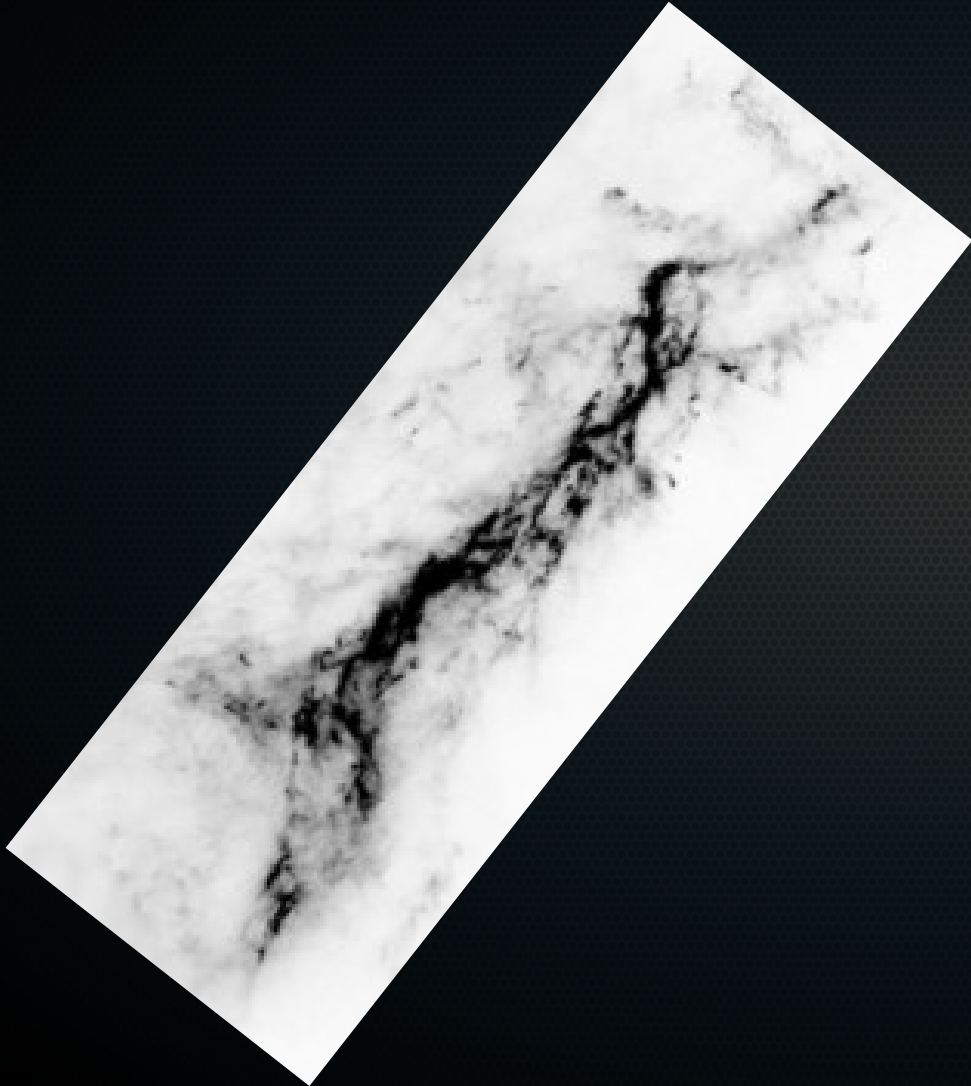


- Planck HFI data map
- Dust opacity (353 GHz)
- HEALPIX to TAN projection

Polygon Ring (PR1, PR2)

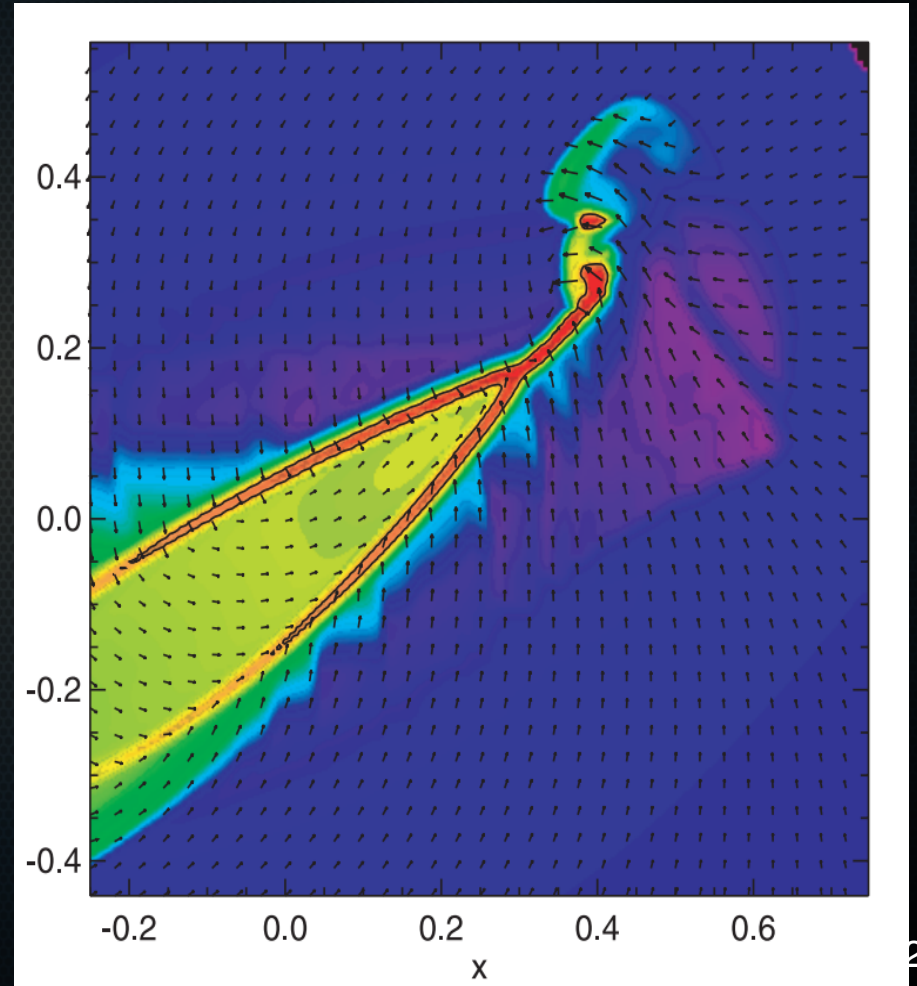
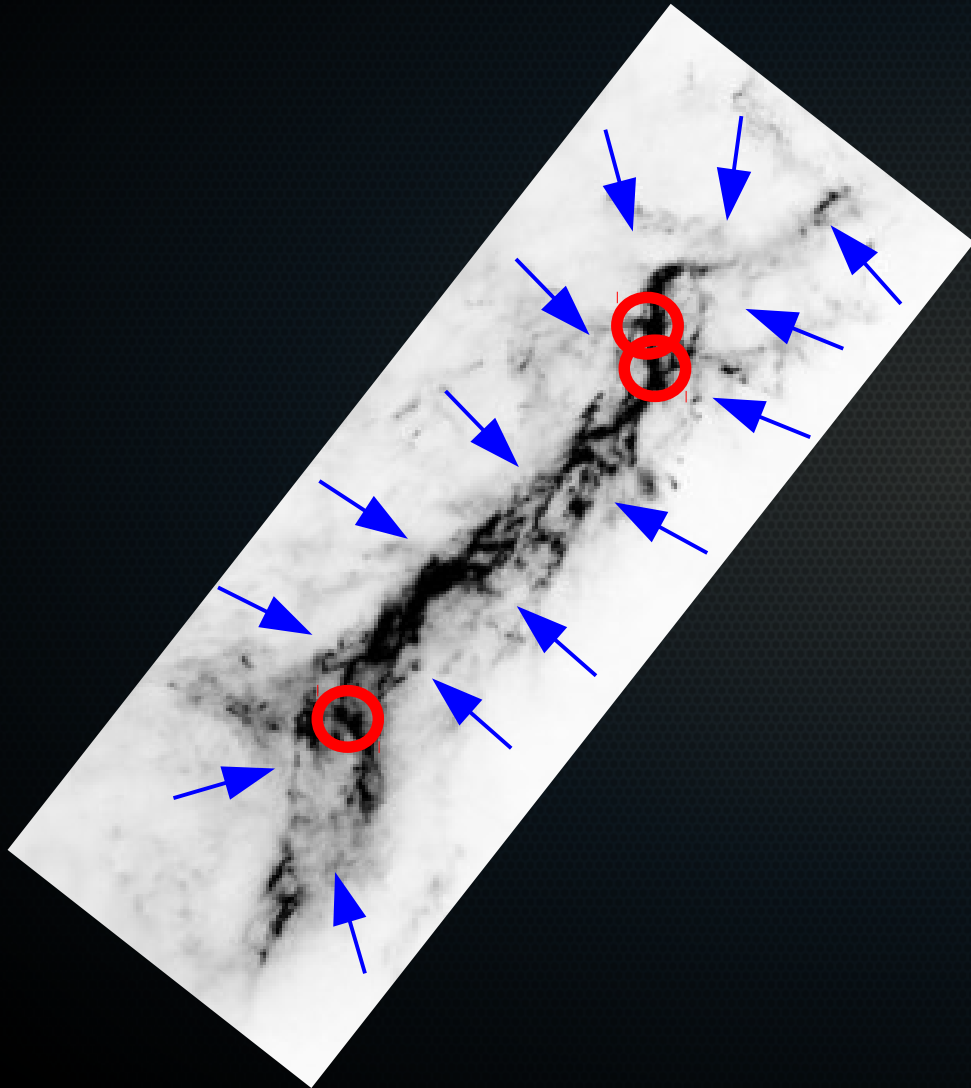
Central Filament (CF)

Large scale gravitational collapse + gravitational focusing (Hartmann & Burkert, 2007)

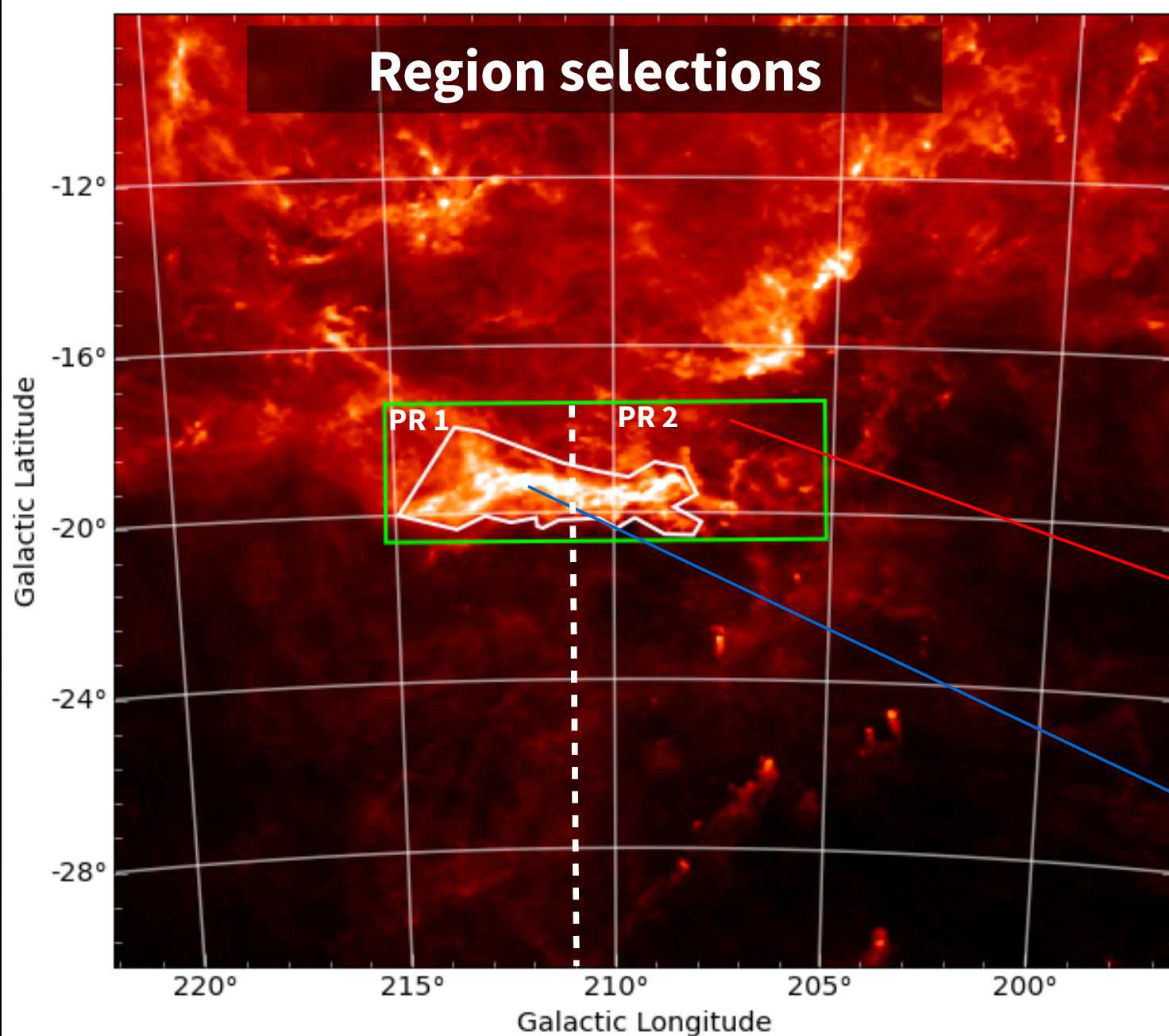


Global gravitational collapse + gravitational focusing

(Hartmann & Burkert, 2007)



Region selections



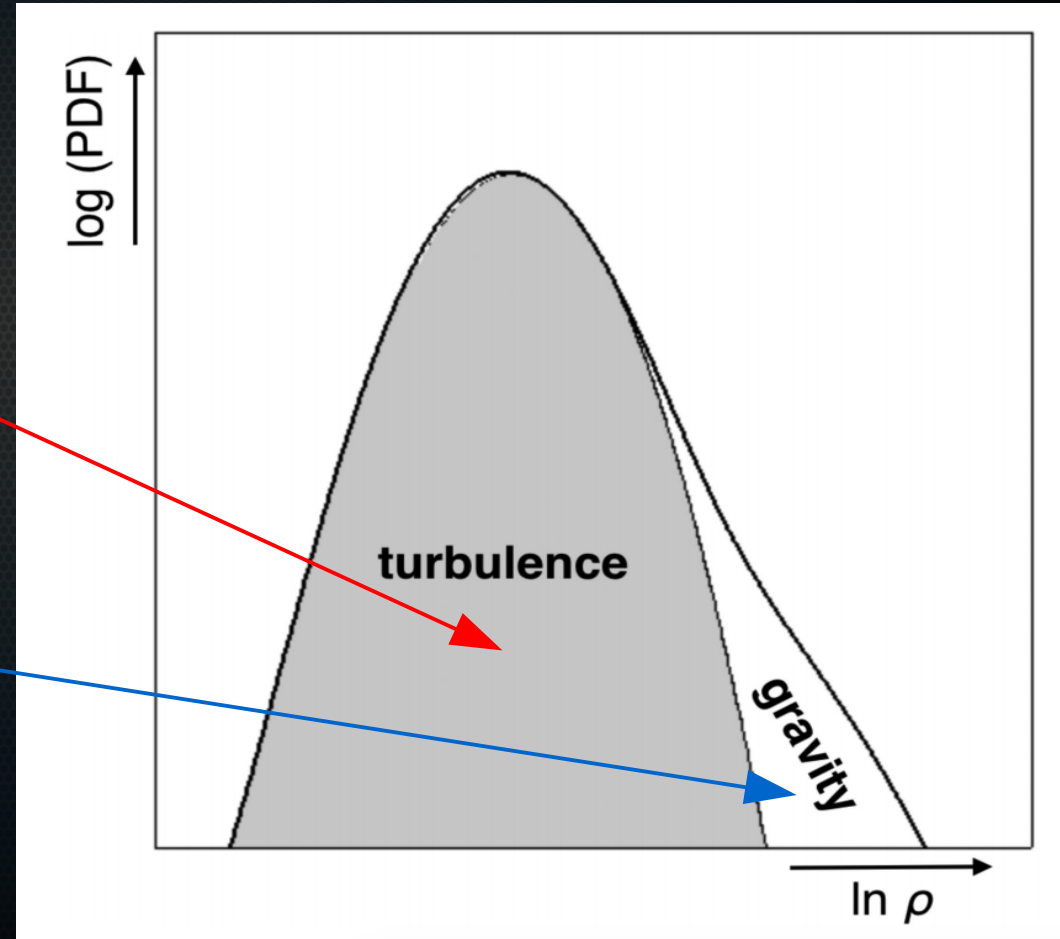
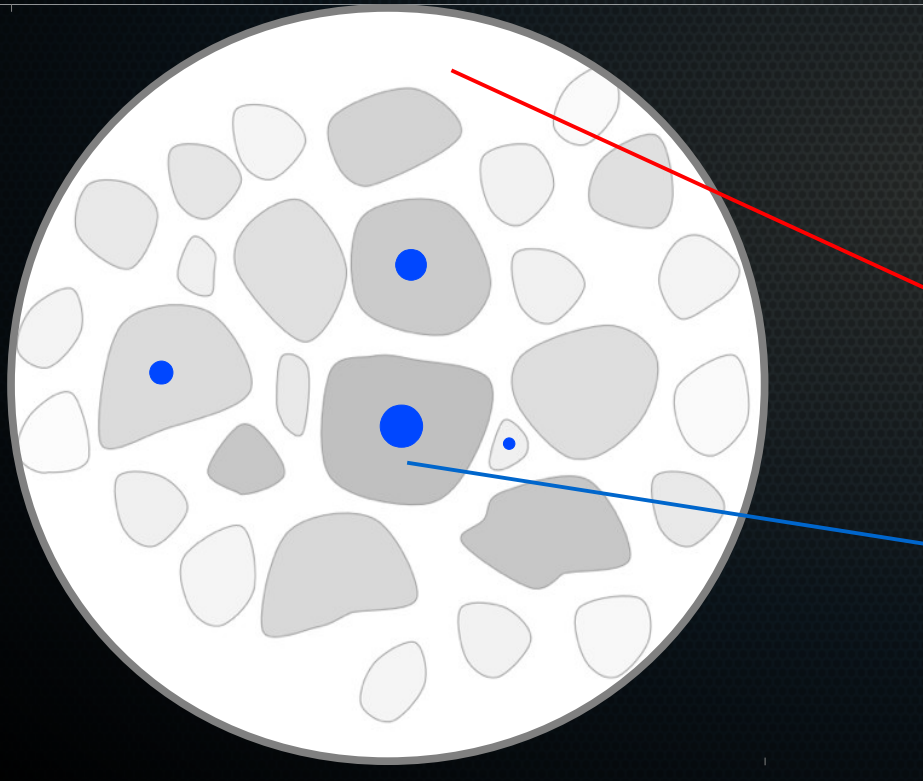
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Polygon Ring (PR1, PR2)
Predominantly turbulent domain

Central Filament (CF)
Gravoturbulent domain

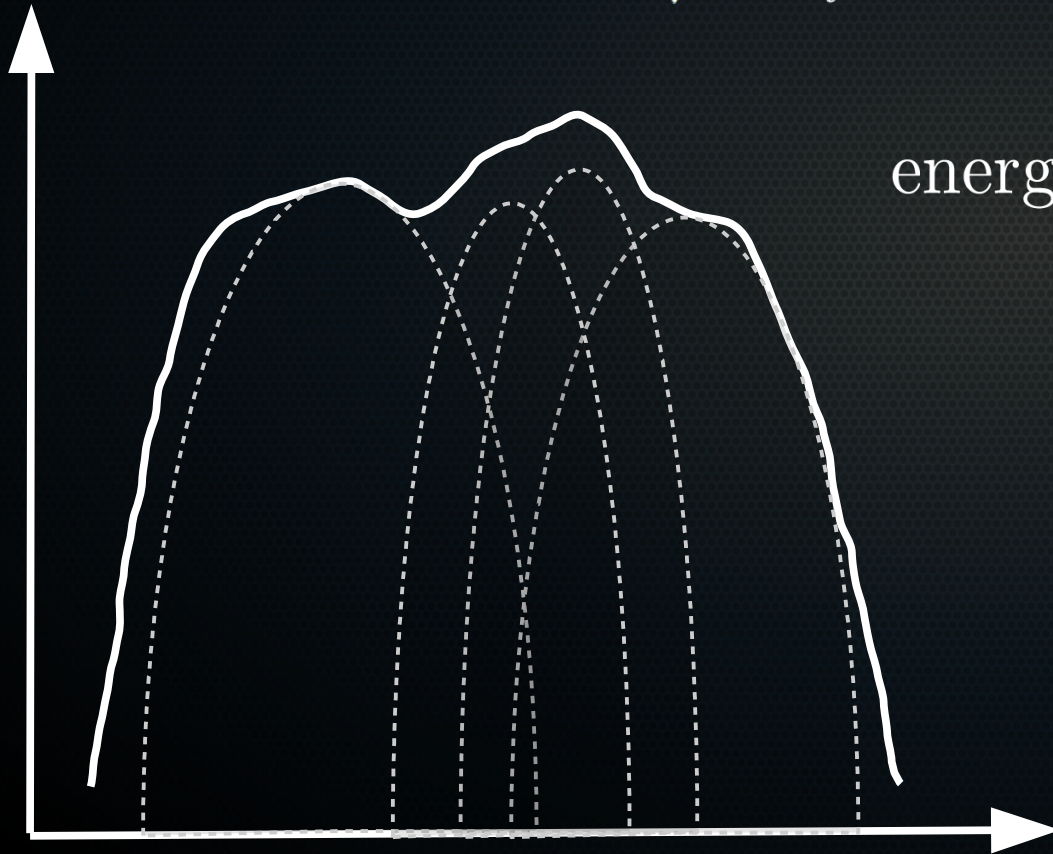
N-PDFs as a tool for studying MC structure

(Turbulence + Gravity in N-PDFs)



Decomposition of the column - density PDFs (Stanchev et al., 2015)

$$\text{lg}n_i(N; a_i, N_i, \sigma_i) = \frac{a_i}{\sqrt{2\pi\sigma_i^2}} \exp\left(-\frac{[\log(N/N_i)]^2}{2\sigma_i^2}\right), \quad (1 \leq i \leq m)$$

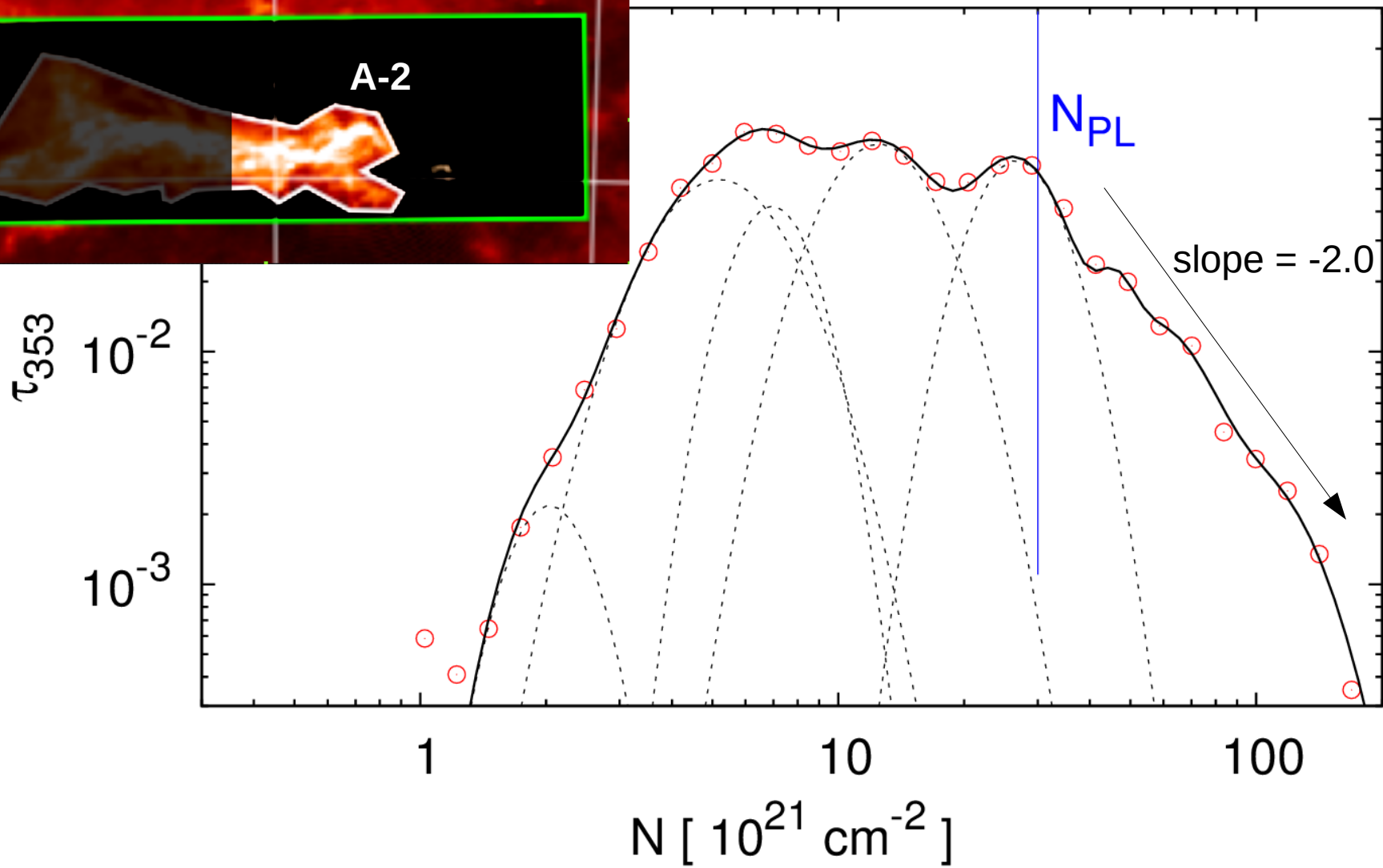
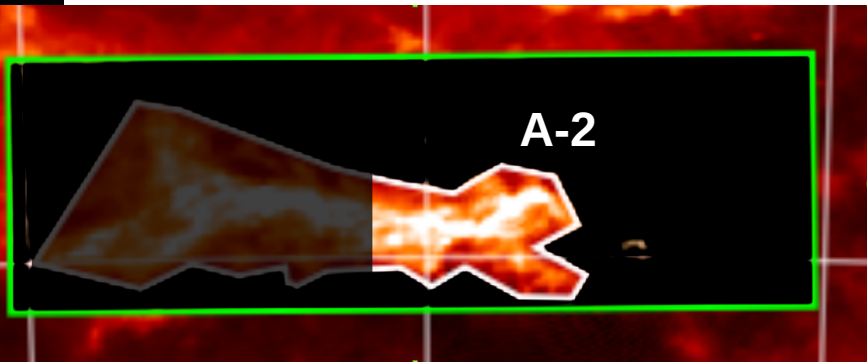


energy injection scale \leq

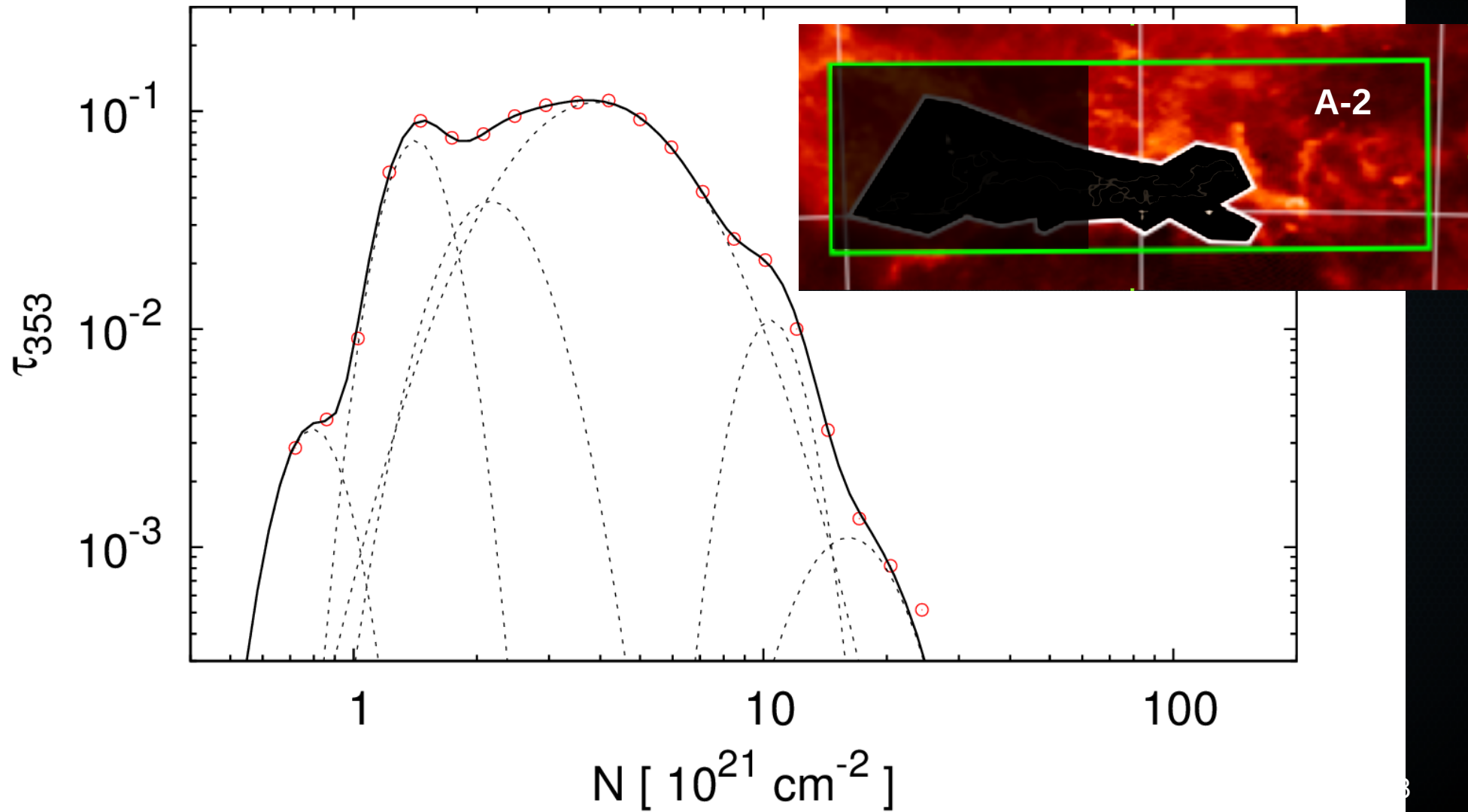
$$L_i = \sqrt{\frac{a_i}{\sum_i a_i}} R$$

\leq energy dissipation scale

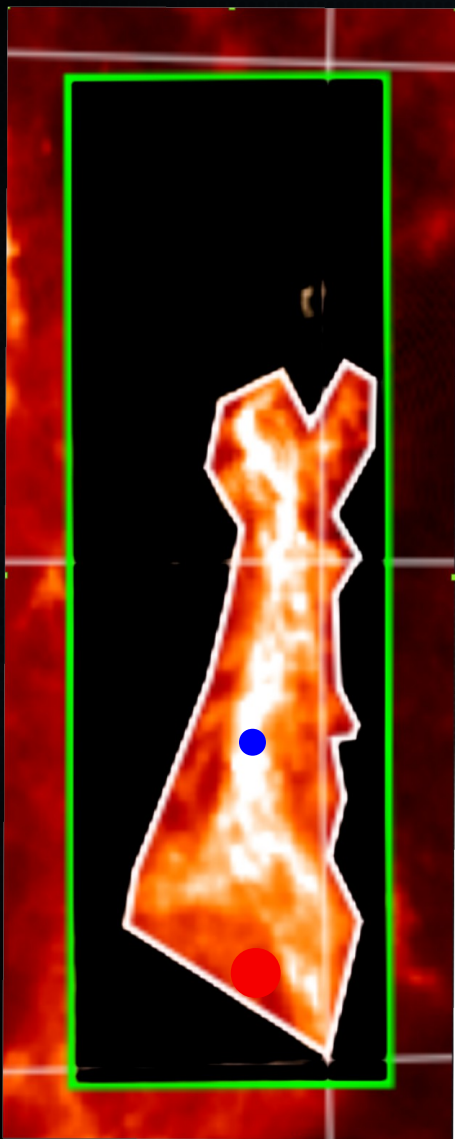
Central Filament: Region A-2



Polygonal ring: Region A-2

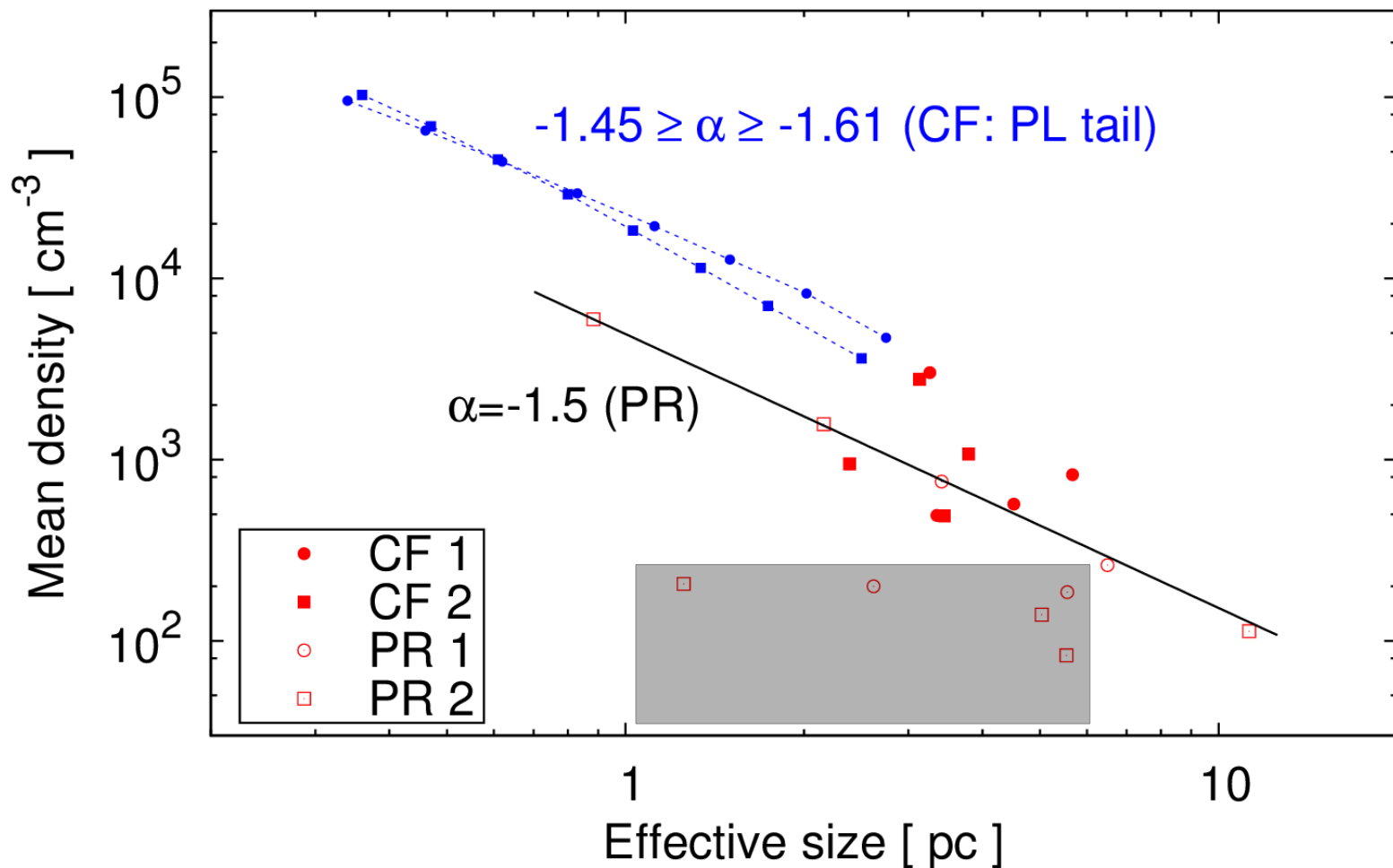


Density scaling relations

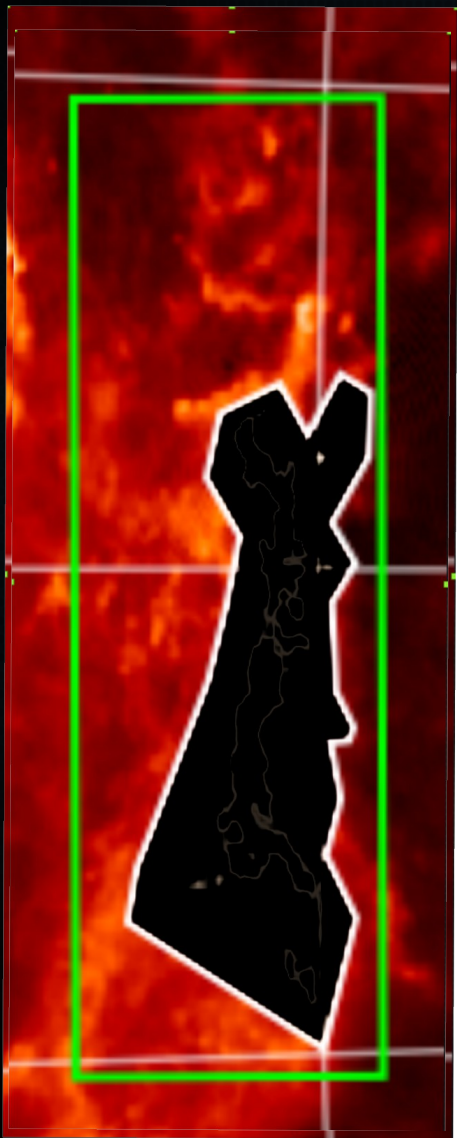


$$\langle n \rangle_i = N_i / L_i$$

Fixed distance to Orion A

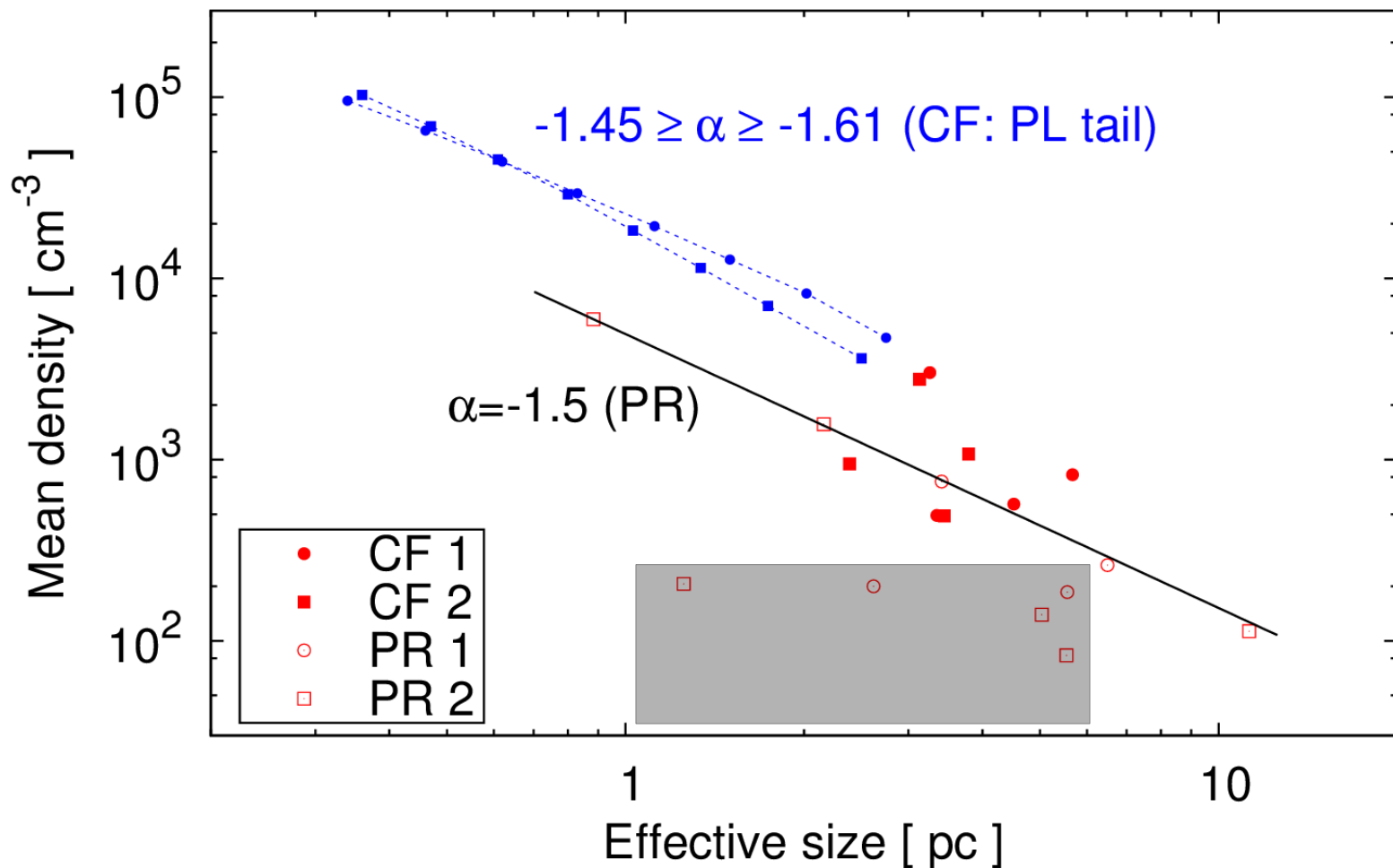


Density scaling relations



$$\langle n \rangle_i = N_i / L_i$$

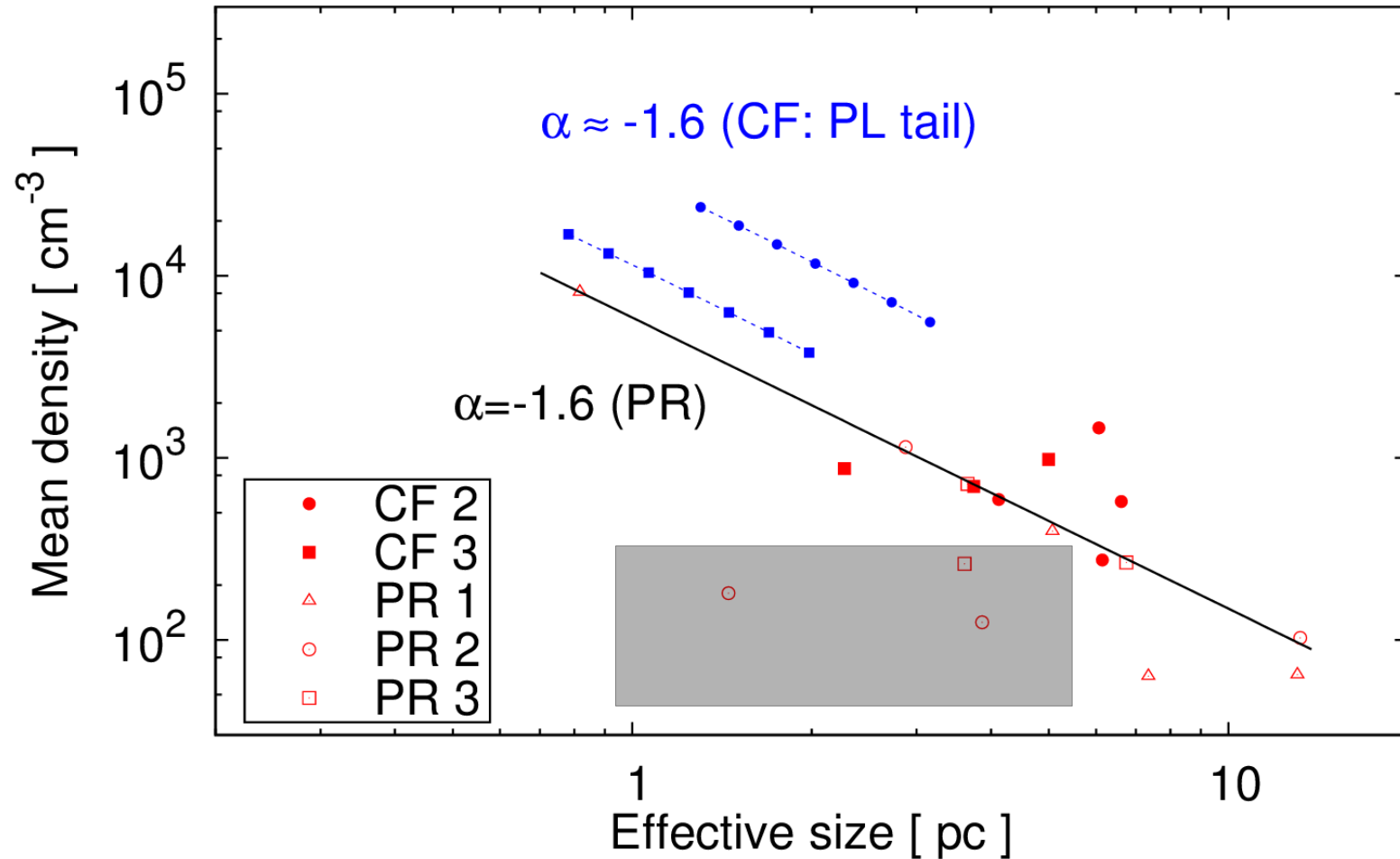
Fixed distance to Orion A



Density scaling relations

$$\langle n \rangle_i = N_i / L_i$$

Distance gradient within Orion A



Conclusions

1. Orion A is a self-gravitating star forming region. Probably this is a relevant conclusion because:

- The slope of the PL tail (about -2) for the CF zone suggests a well developed density profile inside the high-density CF regions, typical for self-gravitating cores.

- The density scaling law of the dense lognormal components in the diffuse vicinity of Orion A is identical to the one derived for their counterparts in the CF.

2. The high slope of the common density scaling relation (about -1.5) is indicative rather for a gravo-turbulent regime than for a purely turbulent one (about -1, Larson 1981).

3. The distance gradient effect does not affect the density scaling law.

Software used:

healpix2tan

Map pre-processing



Extraction (masking) of zones



+



N-pdf decomposition,
scaling relations



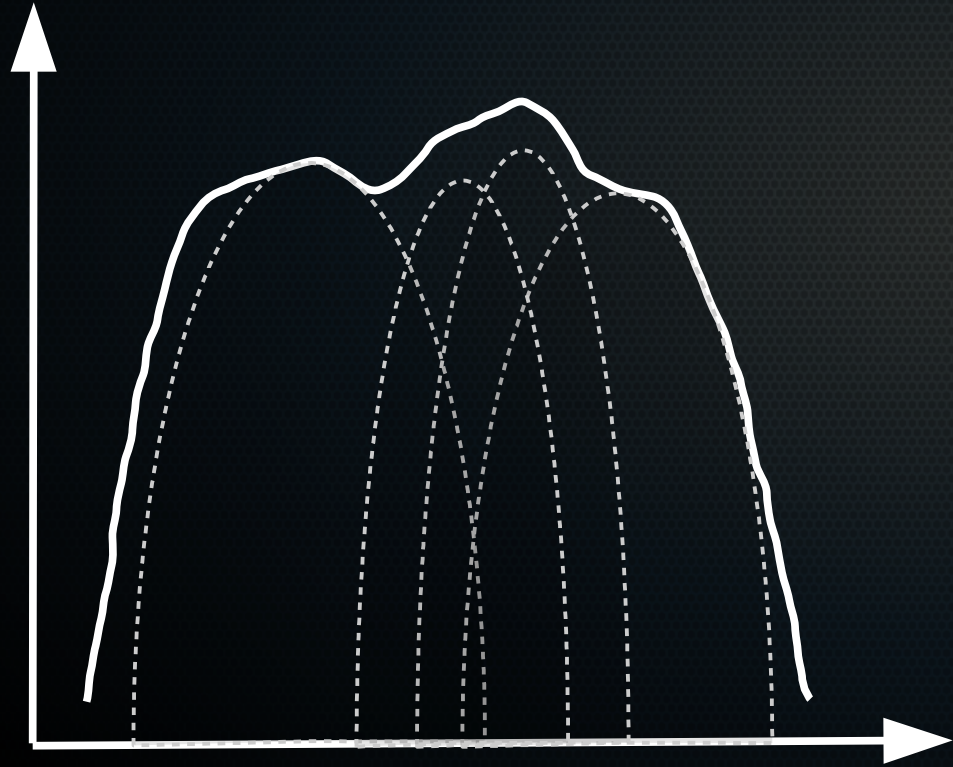
Хвала :-)

Thank you :-)

Благодаря :-)

Decomposition of the column - density PDFs

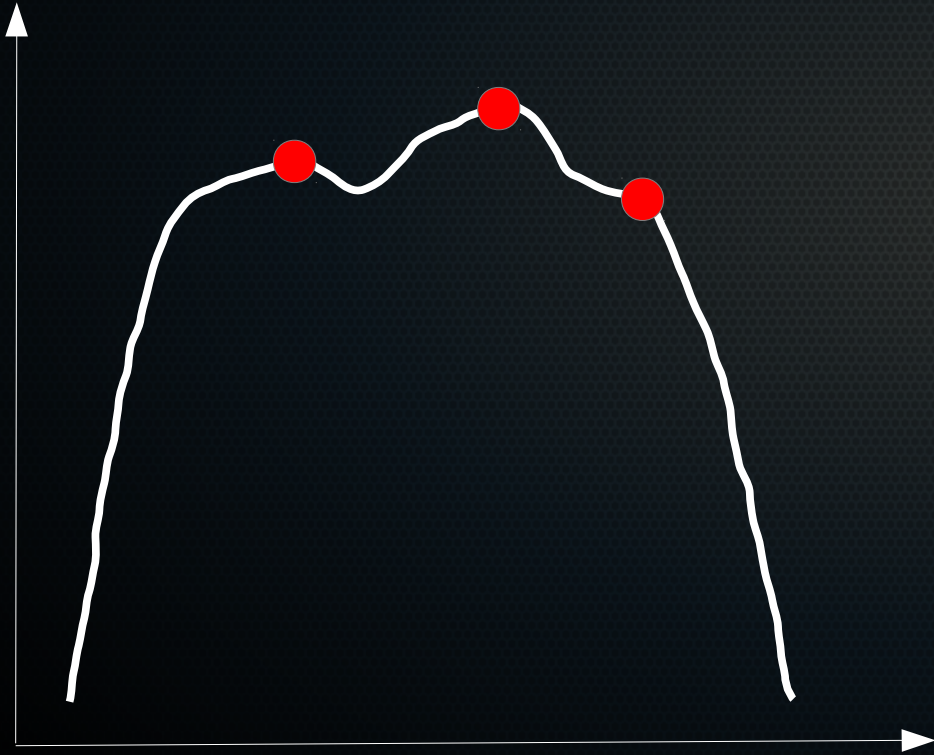
$$\text{lgn}_i(N; a_i, N_i, \sigma_i) = \frac{a_i}{\sqrt{2\pi\sigma_i^2}} \exp\left(-\frac{[\log(N/N_i)]^2}{2\sigma_i^2}\right), \quad (1 \leq i \leq m)$$



$$\lg n_i(N; a_i, N_i, \sigma_i) = \frac{a_i}{\sqrt{2\pi\sigma_i^2}} \exp\left(-\frac{[\log(N/N_i)]^2}{2\sigma_i^2}\right), \quad (1 \leq i \leq m)$$

1. Prominent local peaks:

$$N_i^{(0)}, \sigma_i^{(0)}, a_i^{(0)}$$



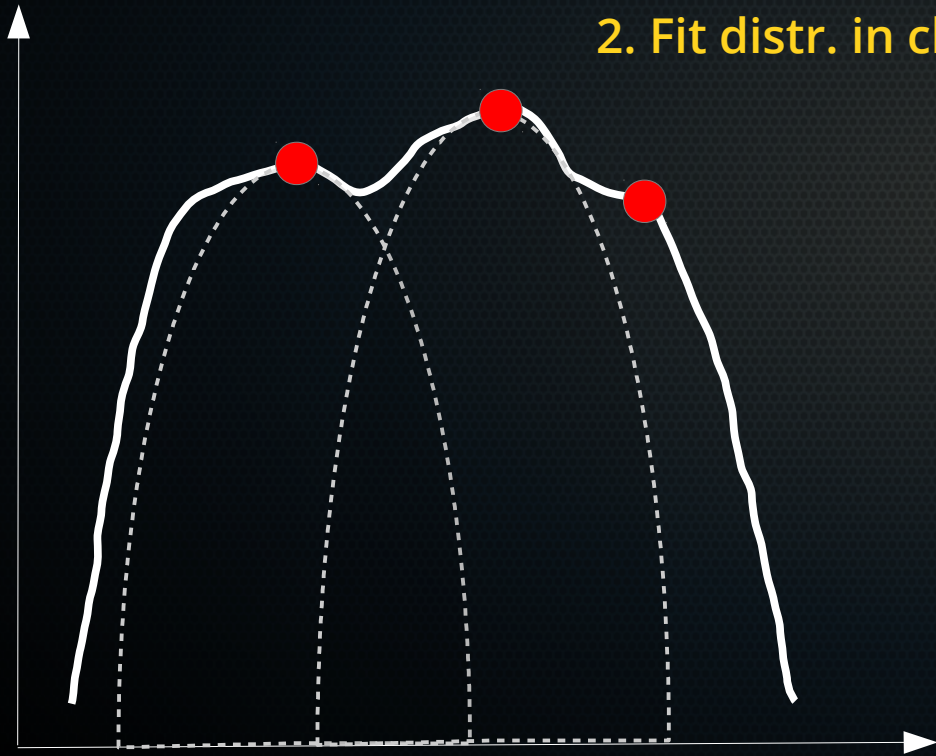
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2. Fit distr. in close vicinities of the peaks:

$$N_i^{(1)}, \sigma_i^{(1)}, a_i^{(1)}$$



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3. Compose the total fitting function:

$$\sum_{i=1}^m \lg n_i$$



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4. Fit the whole distribution:

$$N_i^{(2)}, \sigma_i^{(2)}, a_i^{(2)}$$



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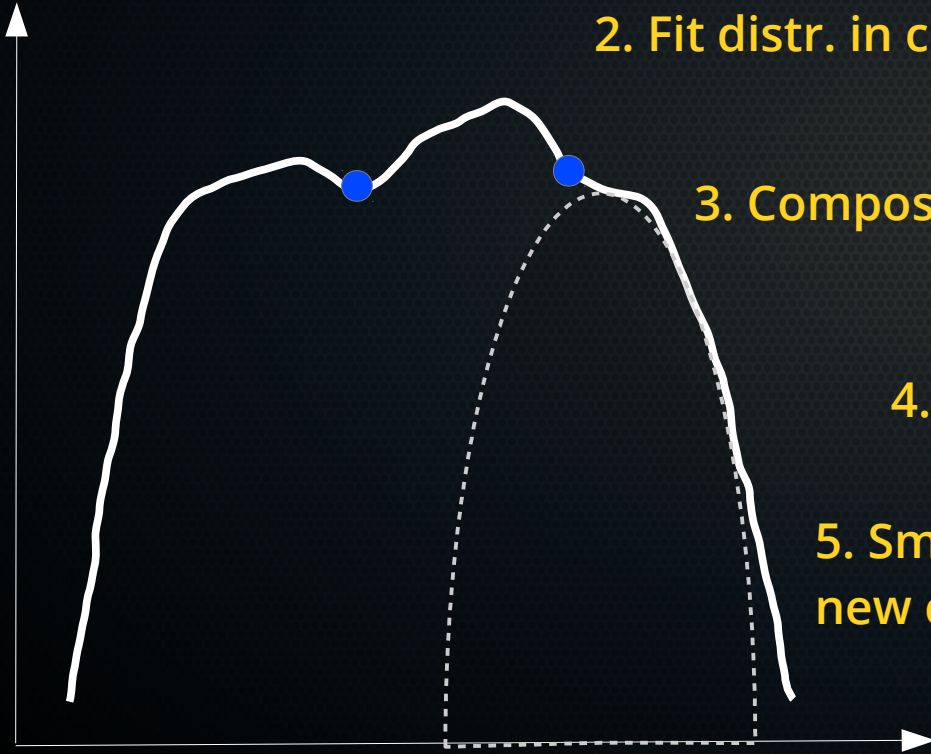
$$\sum_{i=1}^m \lg n_i$$

4. Fit the whole distribution:

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5. Small local peaks / inflexion points; Add new components. Repeat previous steps:

$$N_i^{(3)}, \sigma_i^{(3)}, a_i^{(3)}$$



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2. Fit distr. in close vicinities of the peaks:

$$N_i^{(1)}, \sigma_i^{(1)}, a_i^{(1)}$$

3. Compose the total fitting function:

$$\sum_{i=1}^m \text{lgn}_i$$

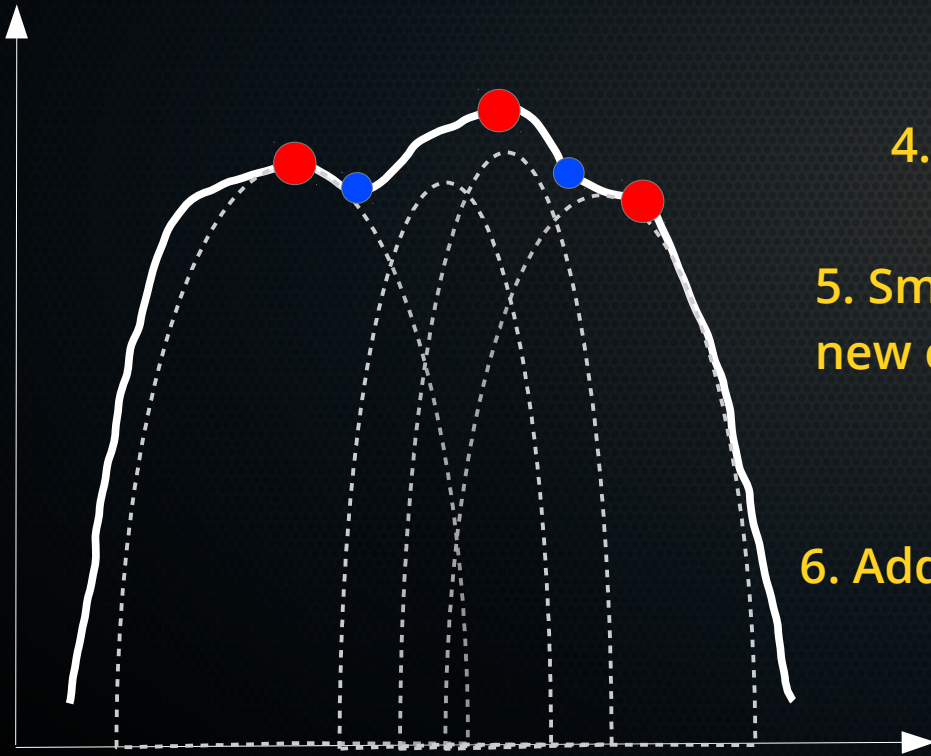
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6. Add additional components (if needed)



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7. Fit the total fitting

function: $(N_i, \sigma_i, a_i)(i = 1, \dots, m)$

